Errata: A Computational Introduction to Number Theory and Algebra (Version 2)

Last updated: 1/8/2015

p. 45: last line of Exercise 2.41. “2p^f” should be “2p^{f/2}”. [Chihong Joo, 9/9/2010]

p. 45: Exercise 2.44. First line, replace “≡ 0 (mod n)” with “≡ n”; last line, replace “≡ 0 (mod n/p^2)” with “≡ n/p^2”. [Chihong Joo, 9/9/2010]

p. 60: line 14 of Fig. 3.1. “b_i” should be “b_j”. Note that this typo was already present in Version 1. [Christophe Weis, 12/28/2008]

p. 63: Exercise 3.24. The statement is correct, but can be improved: the inequality “len(a) − len(b) − 1 ≤ len(q) ≤ len(a) − len(b) + 1” may be replaced by the inequality “len(a) − len(b) ≤ len(q) ≤ len(a) − len(b) + 1”. [Thai Duong, 7/27/2009]

p. 64: Exercise 3.25. Again, the statement is correct, but can be improved: the value \( \sum_{i=1}^{k} \text{len}(n_i) - k \) can be replaced by \( \sum_{i=1}^{k} \text{len}(n_i) - k + 1 \). [Thai Duong, 6/23/2009]

p. 142: Exercise 6.17. “n / \gcd(m, n)” should be “\gcd(m, n)”. [Thai Duong, 6/23/2009]

p. 165: Exercise 6.53, the exercise may be done without the assumption that \( mG = G \), and the hint as stated may not be particularly helpful. [Michael Forbes, 4/16/2014]

p. 171: Theorem 7.3, first line of proof. “ab = bc implies” should be “ab = ac”. [Hrvoje Bandov, 8/8/2010]


p. 250: Exercise 8.43. \( m \) should be defined as \( m := |S| \). In addition, the following hint for part (d) may be helpful. Let \( N := n(n - 1)/2 \), and define independent random variables \( W_{ij} \), where each \( W_{ij} \) is 1 with probability \( m/N \) and 0 with probability \( 1 - m/N \). Set \( D_{ij} = C_{ij}W_{ij} \), and bound from below the probability that some \( D_{ij} = 1 \). [Michael Forbes, 4/16/2014]

p. 265: Exercise 8.64. “a family hash functions” should be “a family of hash functions”. [Michael Forbes, 4/16/2014]

p. 339: Exercise 11.18, last line. “is at least 1/\ell’” should be “is at least 1 − 1/\ell’”. [Michael Forbes, 4/16/2014]

p. 357: Line 8 of §12.7: “2 \log p” should be “\( 2(\log p)^2 \)”. [Michael Forbes, 4/16/2014]

p. 390: line 4 of Fig. 14.1. “i ≤ m” should be “i < m”. [Artem Pelenitsyn, 12/7/2010]


Their algorithms do not treat the ring as an abstract data type, but rather, work directly on concrete representations of certain finite rings (including most finite fields of practical interest). Using fast algorithms for polynomial and integer arithmetic, their algorithm solves the modular composition problem over a finite field of order \(q\) in time (i.e., bit complexity) \(O(\ell^{1+o(1)} \cdot \text{len}(q)^{1+o(1)})\). The resulting algorithm for computing minimal polynomials over a finite field of order \(q\) (see footnote, p. 508) runs in time \(O(\ell^{1+o(1)} \cdot \text{len}(q)^{1+o(1)})\). The resulting polynomial factorization algorithm (see footnote, p. 547) factors a polynomial of degree \(\ell\) over a finite field of order \(q\) in time

\[
O\left(\left(\ell^{1.5+o(1)} + \ell^{1+o(1)} \cdot \text{len}(q)\right) \cdot \text{len}(q)^{1+o(1)}\right).
\]

[VS, 1/15/2009]

p. 535: Third line from end of proof, in the line beginning \(E[L_{ij}] = \cdots\), the index on the second summation should be \(n\), rather than \(i\). [Elena Kirshanova, 10/2/2014]